

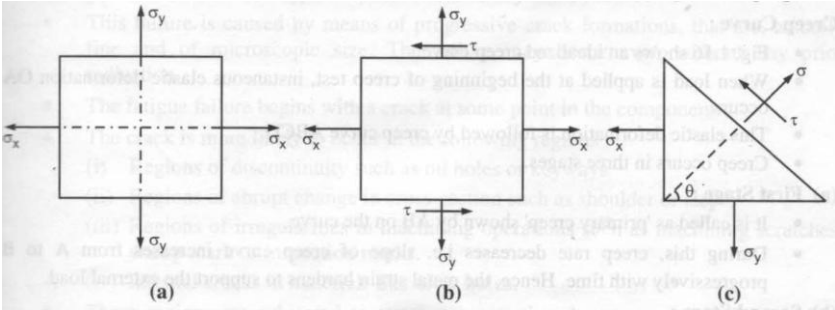


WINTER – 15 EXAMINATIONS

Subject Code: **17553** Model Answer Page No: ____ / N

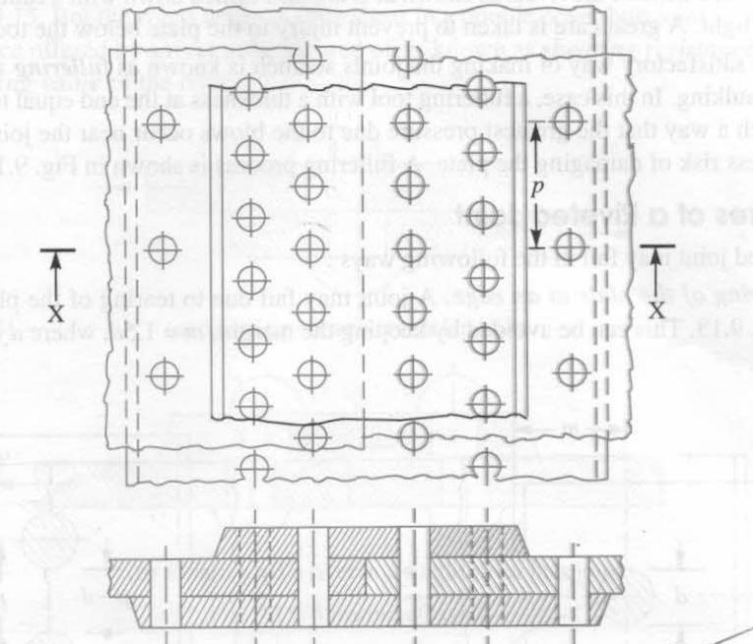
Important Instructions to examiners:

- 1) The answers should be examined by key words and not as word-to-word as given in the model answer scheme.
- 2) The model answer and the answer written by candidate may vary but the examiner may try to assess the understanding level of the candidate.
- 3) The language errors such as grammatical, spelling errors should not be given more importance. (Not applicable for subject English and Communication Skills)
- 4) While assessing figures, examiner may give credit for principal components indicated in the figure. The figures drawn by candidate and model answer may vary. The examiner may give credit for any equivalent figure drawn.
- 5) Credits may be given step wise for numerical problems. In some cases, the assumed constant values may vary and there may be some difference in the candidate's answers and model answer.
- 6) In case of some questions credit may be given by judgment on part of examiner of relevant answer based on candidate's understanding.
- 7) For programming language papers, credit may be given to any other program based on equivalent concept.

| Q. NO. | MODEL ANSWER | MARKS | TOTAL MARKS |
|--------|--|--|-----------------|
| 1 | Attempt any FIVE of the following: | | 5X4=20 |
| (a) | <p>Maximum Normal Stress theory.</p>  <ul style="list-style-type: none"> • When the component is subjected to several types of loads simultaneously, it is necessary to determine the state of stresses under such conditions. For example, a transmission shaft is subjected to bending moment as well as twisting moment (torque) at the same time. • The plane, on which, only normal stresses act and no shear stress, is called as principal plane. The magnitude of normal stress acting on the principal plane is called principal stress. • Consider an element of a plate subjected to two dimensional stresses as shown in Fig. • In this analysis, the stresses are classified into two groups : (a) Normal stress, (b) Shear stress. Normal stress is perpendicular to area under consideration, while shear stress acts over the area. Refer Fig. (c), showing the stresses acting on oblique plane. • "Major principal stress is the maximum value of normal stress acting on the principal plane, whereas, the minimum value of normal stress acting on principal plane is called as minor principal stress". This is called as Maximum Normal Stress theory or Principal Stress Theory. <p>According to this maximum principal stresses are given as follows.</p> $\sigma_{t1} = \left\{ \frac{\sigma_x + \sigma_y}{2} \right\} + \frac{1}{2} \sqrt{ \left\{ \sigma_x - \sigma_y \right\}^2 + 4 \tau^2 }$ <p>Minimum Principle stress,</p> $\sigma_{t2} = \left\{ \frac{\sigma_x + \sigma_y}{2} \right\} - \frac{1}{2} \sqrt{ \left\{ \sigma_x - \sigma_y \right\}^2 + 4 \tau^2 }$ <p>Also maximum shear stress,</p> $\tau_{\max} = \left\{ \frac{\sigma_x - \sigma_y}{2} \right\} = \frac{1}{2} \sqrt{ \left\{ \sigma_x - \sigma_y \right\}^2 + 4 \tau^2 }$ | <p>01 mark for figure</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> | <p>04 marks</p> |
| b | <ul style="list-style-type: none"> • Keyway is a slot machined either on the shaft or in the hub to accommodate the key. • It is cut by vertical or horizontal milling cutter. • The keyway cut into the shaft reduces the load carrying capacity of shaft. • This is due to stress concentration near the corners of the keyway and reduction in the cross-sectional area of shaft. • In other words, the torsional strength of shaft is reduced. • The following relation of reduction factor is used to analyze the weakening effect of keyway is given by H. F. Moore. | <p>01 mark</p> <p>01 mark</p> | |



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|----------|--|---------------------------------------|-----------------|
| | <p> $e = 1 - 0.2 (w/d) - 1.1(h/d)$ Where, e = shaft strength factor = Strength of shaft with keyway/Strength Of shaft Wlithout keyway w = Width of keyway, d = Diameter of shaft h = Depth of keyway = 1/2 x thickness of key = 1/2 x t • It is usually assumed that strength of keyed shaft is 75% of solid shaft. • Thus, after finding out dimensions of key, the reduction factor 'e' is calculated and for safe design, its value should be less than 0.75. </p> | <p>01 mark</p> <p>01 mark</p> | <p>04 marks</p> |
| <p>C</p> | <p>The sketches of basic welding joints are given as follows.</p> <div style="text-align: center;"> </div> <p>The applications of the above joints are as follows.</p> <p>Butt Joint A butt weld, or a square-groove, is the most common and easiest to use. Consisting of two flat pieces that are parallel to one another, it also is an economical option. It is the universally used method of joining a pipe to itself, as well as flanges, valves, fittings, or other equipment. However, it is limited by any thickness exceeding 3/16".</p> <p>Corner Joint A corner weld is a type of joint that is used between two metal parts and is located at right angles to one another in the form of a L. As the name indicates, it is used to connect two pieces together, forming a corner. This weld is most often used in the sheet metal industry and is performed on the outside edge of the piece.</p> <p>Edge Joint</p> | <p>02 marks for any four sketches</p> | |

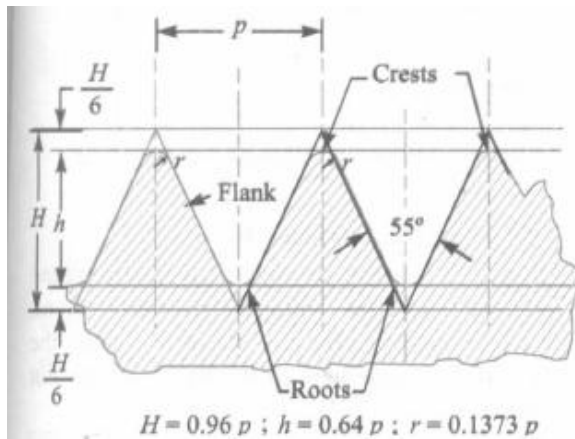
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| | <p>Edge welding joints, a groove type of weld, are placed side by side and welded on the same edge. They are the most commonly used type of joints due to build up accumulating on the edges. They are often applied to parts of sheet metal that have edges flanging up or formed at a place where a weld must be made to join two adjacent pieces together.</p> <p>Lap Joint This is used when two pieces are placed atop each other while also overlapping each other for a certain distance along the edge. Considered a fillet type of a welding joint, the weld can be made on one or both sides, depending upon the welding symbol or drawing requirements. It is most often used to join two pieces together with differing levels of thickness.</p> <p>Tee Joint Tee joints, considered a fillet type of weld, is used when two members intersect at 90° resulting in the edges coming together in the middle of a component or plate. It may also be formed when a tube or pipe is placed on a baseplate.</p> | <p>02 marks for any four applicati ons.</p> | <p>04 marks</p> |
| <p>d</p> | <div style="text-align: center;">  </div> <p>Important Terms Used in Riveted Joints The following terms in connection with the riveted joints are important from the subject of view :</p> <p>(i) Pitch. It is the distance from the centre of one rivet to the centre of the next rivet measured parallel to the seam as shown in Fig. It is usually denoted by p.</p> <p>(ii) Back pitch. It is the perpendicular distance between the centre lines of</p> | <p>02 marks for figure</p> | |



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| | <p>the successive rows as shown in Fig. It is usually denoted by P_b.</p> <p>(iii) Diagonal pitch. It is the distance between the centres of the rivets in adjacent rows of zig-zag riveted joint as shown in Fig. It is usually denoted by P_d.</p> <p>(iv) Margin or marginal pitch. It is the distance between the centre of rivet hole to the nearest edge of the plate as shown in Fig. It is usually denoted by m.</p> | 02 marks for 04 terms | 04 marks |
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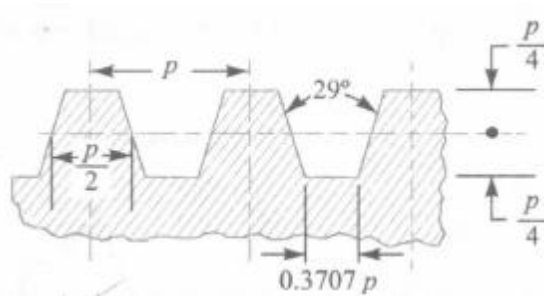
e i) British standard whitworth (B.S.W) thread:



This is a British standard thread profile and has coarse pitches. It is a symmetrical V-thread in which the angle between the flanks, measured in an axial plane, is 55° . These threads are found on bolts and screwed fastenings for special purposes. The various proportions of B.S.W. threads are shown in Fig.

01 mark

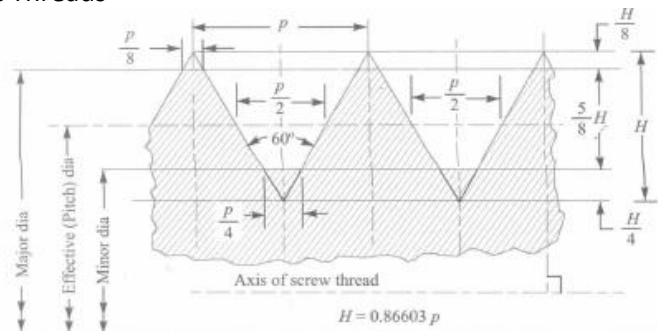
ii) Acme thread.



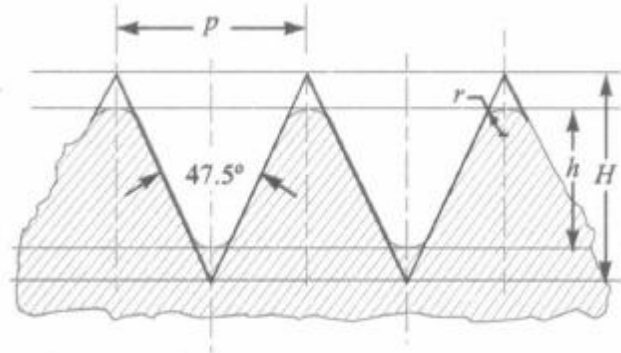
It is a modification of square thread. It is much stronger than square thread and can be easily produced. These threads are frequently used on screw cutting lathes, brass valves, cocks and bench vices.

01 mark

iii) Metric Threads



It is an Indian standard thread and is similar to B.S.W. threads. It has an included angle of 60° instead of 55° . The basic profile of the thread is shown in Fig.a and the design profile of the nut and bolt is shown in Fig. iv) British association (B.A.) thread.



$$H = 1.13634 p ; h = 0.6 p ; r = 0.18083 p$$

This is a B.S.W. thread with fine pitches. The proportions of the B.A. thread are shown in Fig. These threads are used for instruments and other precision works.

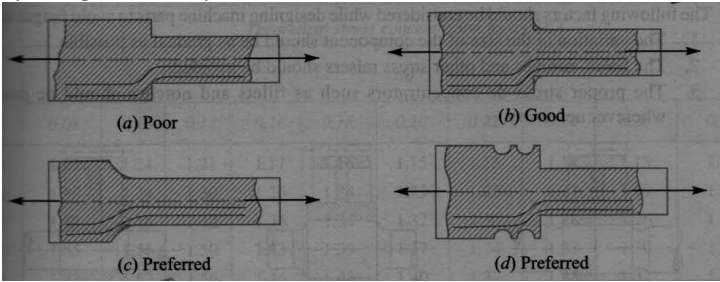
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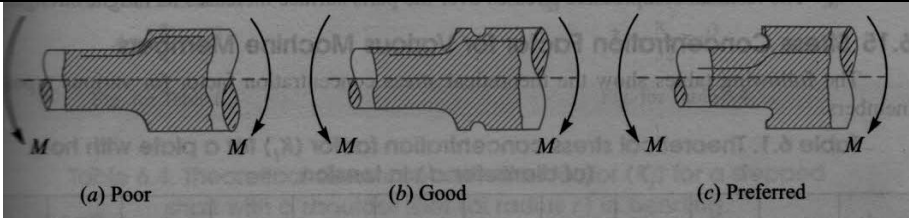

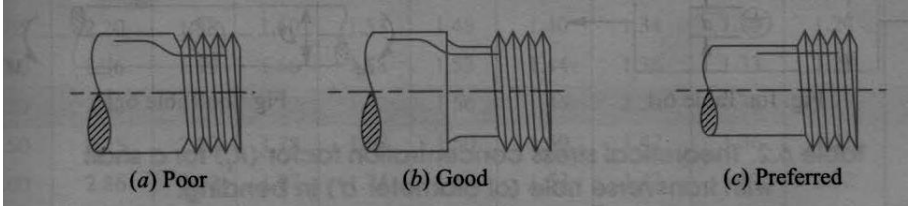
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| <p>f</p> | <p>Stresses in Pipes</p> <p>The stresses in pipes due to the internal fluid pressure are determined by Lamé's equation. According to Lamé's equation,</p> <p>i) tangential stress at any radius x,</p> $\sigma_t = \frac{p (r_i)^2}{(r_o)^2 - (r_i)^2} \left[1 + \frac{(r_o)^2}{x^2} \right] \dots(i)$ <p>and radial stress at any radius x,</p> $\sigma_r = \frac{p (r_i)^2}{(r_o)^2 - (r_i)^2} \left[1 - \frac{(r_o)^2}{x^2} \right] \dots(ii)$ <p>where p = Internal fluid pressure in the pipe, ri = Inner radius of the pipe, and ro = Outer radius of the pipe.</p> <p>The tangential stress is maximum at the inner surface (when x = ri) of the pipe and minimum at the outer surface (when x = r) of the pipe. Substituting the values of x = ri; and x = ro in equation (i), we find that the maximum tangential stress at the inner surface of the pipe,</p> $\sigma_{t(max)} = \frac{p [(r_o)^2 + (r_i)^2]}{(r_o)^2 - (r_i)^2}$ <p>and minimum tangential stress at the outer surface of the pipe,</p> $\sigma_{t(min)} = \frac{2 p (r_i)^2}{(r_o)^2 - (r_i)^2}$ <p>The radial stress is maximum at the inner surface of the pipe and zero at the outer surface of the pipe. Substituting the values of x = ri and x = ro in equation (ii), we find that maximum radial stress at the inner surface, $\sigma_r(max) = -p$ (compressive) and minimum radial stress at the outer surface of the pipe, $\sigma_r(min) = 0$</p> | <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> | <p>04 marks</p> |
| <p>g</p> | <p>The Stress – Strain diagrams for cast iron & mild steel are shown in figure.</p> | <p>02 marks for figure</p> | |



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| 2. | Attempt any TWO of the following: | | 2X8=16 |
| (a) i | <p>It is defined, in general, as the ratio of the maximum stress to the working stress.</p> <p>Mathematically, Factor of safety = Maximum stress/Working or design stress</p> <p>In case of ductile material e.g. mild steel, where the yield point is clearly defined, the factor of safety is based upon the yield point stress. In this case, Factor of safety =Yield point stress/Working or design stress</p> <p>In case of brittle material e.g. cast iron, the yield point is not well defined as for ductile materials. Therefore, the factor of safety for brittle materials is based on ultimate stress Factor of safety=Ultimate stress/ Working or design stress</p> <p>This relation may be used for ductile materials.</p> <p>The following things are considered for the selection of Factor of Safety.</p> <p>i) The type of product. (i.e. whether it is a utility good or machine part etc.) ii) The importance/ position of the component in the assembly. iii) The extent of damage to the people and/or to other parts that may take place due to the failure of the part. iv) The cost of the material.</p> | <p>01 mark</p> <p>01 mark</p> <p>02 marks</p> | <p>04 marks</p> |
| ii | <p>Stress concentration can be defined as the increase in the intensity of stress due to various factors such as abrupt change in cross section, sharp corners, presence of holes, internal deformities, cracks, etc. The presence of stress concentration cannot be totally eliminated but it may be reduced to some extent. A device or concept that is useful in assisting a design engineer to visualize the presence of stress concentration and how it may be reduced is that of stress flow lines, as shown in Fig. The reduction of stress concentration means that the stress flow lines shall maintain their spacing as far as possible.</p>  | 01 mark | |

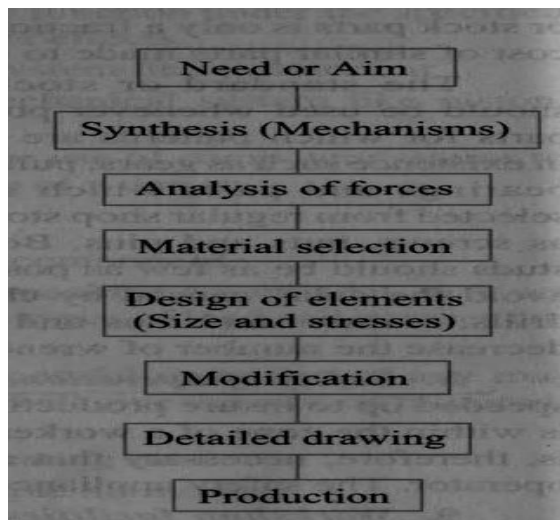
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| |  <p style="text-align: center;">(a) Poor (b) Good (c) Preferred</p> <p>Method of reducing stress contraction in cylinder members with shoulders</p> | 01 mark | |
| |  <p style="text-align: center;">(a) Poor (b) Preferred</p> <p>Method of reducing stress contraction in cylinder members with holes</p> | | |
| |  <p style="text-align: center;">(a) Poor (b) Good (c) Preferred</p> <p>Method of reducing stress contraction in threaded members with holes</p> | 01 mark | |
| | <p>The stress concentration effects of a press fit may be reduced by making more gradual transition from the rigid to the more flexible shaft. The various ways of reducing stress concentration for such cases are shown in Fig. a,b,c</p> | 01 mark | 04 marks |
| b | <p>Given data: $P = 8 \text{ kW} = 8 \times 10^3 \text{ W}$ $N = 750 \text{ rpm}$ $\tau_s = 35 \text{ MPa} = 35 \text{ N/mm}^2$ $\tau_{ci} = 15 \text{ N/mm}^2$, $6t = 6ck = 60 \text{ N/mm}^2$ The power transmitted by steel shafts, $P = 2\pi NT / 60$ Therefore Torque = $T = P \times 60 / 2\pi N = 8 \times 10^3 \times 60 / 2 \times \pi \times 750$ $\therefore T = 101.859 \text{ N-m} = 101.859 \times 10^3 \text{ N-mm}$ i) Design of shaft : We know that, torque transmitted by shaft is given by $T = \pi/16 \times \tau_s \times d^3$ $101.859 \times 10^3 = \pi/16 \times 35 \times d^3$ Diameter of shaft, $d = 25.56 \approx 30 \text{ mm (say)}$ (ii) Design of hub: Usual proportions are, $D = \text{Outer diameter of hub}$ $= 2d = 2 \times 30 = 60 \text{ mm}$ $L = \text{Length of hub} = 1.5 \times d = 1.5 \times 30 = 45 \text{ mm}$ $k = d/D = 30/60 = 0.5$ Considering hub as a hollow shaft transmitting the same torque as that of shaft. Then we have</p> | 01 mark | |
| | | 01 mark | |



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| | <p> $T = \pi/16 \times \tau_{ci} \times D^3(1-k^4)$ $101.859 \times 10^3 = \pi/16 \times \tau_{ci} \times 60^3(1-0.5^4)$ $\tau_{ci} = 2.561 \text{ N/mm}^2$ Thus, the induced shear stress in the cast iron hub is less than the given permissible shear stress. Hence, the design is safe. (iii) Design of flange: Take $t_f = d / 2 = 30 / 2 = 15 \text{ mm}$ While transmitting the torque, the flange is under shear. The torque transmitted is $T = \text{Circumference of hub} \times \text{Thickness of flange}$ $\times \text{Shear stress} \times \text{Radius of hub}$ $= (\pi \times D) \times t_f \times \tau_f \times D/2$ $101.859 \times 10^3 = (\pi \times 60) \times 15 \times \tau_f \times 60/2$ $\tau_f = 1.2 \text{ N/mm}^2$ Thus, induced shear stress is less than given permissible shear stress for flange material. Hence, the design is safe. iv) Design of key: It is nothing but checking the safety of the key in shear & crushing. For the shaft of 30 mm dia recommended size of key is $w=10\text{mm}$ & $t=8\text{mm}$ Checking the key in shear : We know, Torque transmitted by the shaft, $T = L \times w \times \tau \times (d/2)$ where τ is the induced stress in key material. Hence, $101.859 \times 10^3 = 45 \times 10 \times \tau \times 30/2$ $\tau = 15.09 \text{ N/mm}^2$ which is less than τ_s (35 MPa) Hence the key is safe in shear. Similarly checking the key for crushing, $T = L \times (t/2) \times \sigma_c \times (d/2)$ Hence, $101.859 \times 10^3 = 45 \times 8/2 \times \sigma_c \times 30/2$ $\sigma_c = 37.72 \text{ Mpa}$ which is less than $\sigma_{ck} = 60 \text{ N/mm}^2$ Hence the key is safe in crushing.. </p> | <p style="text-align: center;">02 marks</p> <p style="text-align: center;">02 marks</p> <p style="text-align: center;">01 mark</p> <p style="text-align: center;">01 mark</p> | <p style="text-align: center;">08 marks</p> |
| (c) | <p> i) The general procedure in machine design is as follows: 1. Recognition of need: First of all, make a complete statement of the problem, indicating the need, aim or purpose for which the machine is to be designed. 2. Synthesis (Mechanisms): Select the possible mechanism or group of mechanisms which will give the desired motion. 3. Analysis of forces: Find the forces acting on each member of the machine and the energy transmitted by each member. 4. Material selection: Select the material best suited for each member of the machine. 5. Design of elements (Size and Stresses): Find the size of each member of the machine by considering the force acting on the member and the permissible stresses for the material used. It should be kept in mind that each member should not deflect or deform than the permissible limit. </p> | <p style="text-align: center;">01 mark each for any four points.</p> | |

6. Modification: Modify the size of the member to agree with the past experience and judgement to facilitate manufacture. The modification may also be necessary by consideration of manufacturing to reduce overall cost.
7. Detailed drawing: Draw the detailed drawing of each component and the assembly of the machine with complete specification for the manufacturing processes suggested.
8. Production: The component, as per the drawing, is manufactured in the workshop.

General procedure in Machine Design.



ii) The **general considerations** in machine design are as follows.

01) Type of Load and Stresses caused by the Load:-

The load on the Machine Component, may act in several ways due to which the Internal Stresses are set up.

02) Motion of Parts:-

The successful operation of any Machine depends largely upon the simplest arrangements of the Parts, which will give the required motion. The Motion of the Part may be

A) Rectilinear Motion, which includes Unidirectional and Reciprocating Motion.

B) Curvilinear Motion, which includes Rotary, Oscillatory Simple Harmonic.

C) Constant Velocity.

D) Constant or Variable Acceleration.

03) Selection of Material:-

Every Machine Design Engineer should have a thorough knowledge of the Properties of Material and their behaviour under working conditions.

04) Form and Size of the Parts:-

In order to design any Machine Part for form and size, it is necessary to

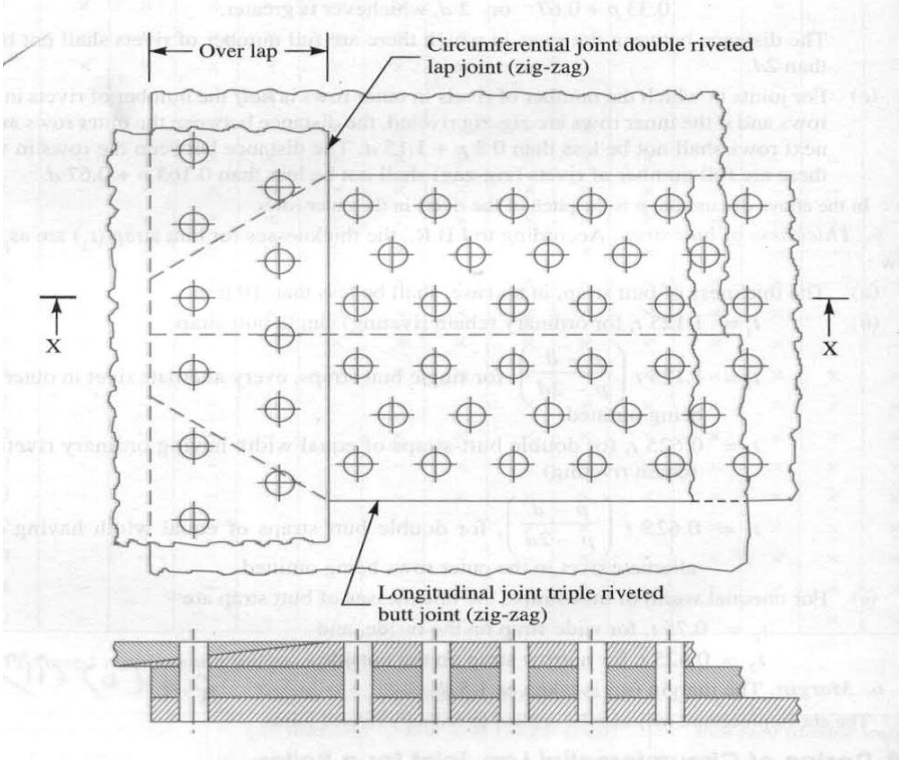


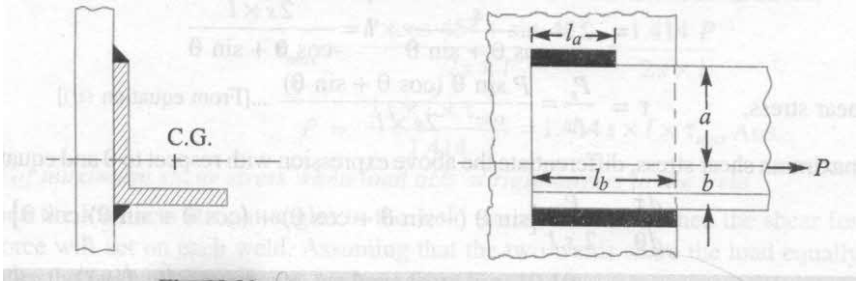
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| | <p>know the Forces which the Part must sustain. Any suddenly applied or impact load must be taken into consideration, which may cause failure. The smallest Practicable Cross-Section may be used, but it may be checked that the Stresses induced in the Designed Cross-Section are reasonably safe.</p> <p>05) Frictional Resistance and Lubrication:- There is always a Loss of Power due to Frictional Resistance. Careful attention must be given to the matter of Lubrication of all surfaces which moves in contact with others.</p> <p>06) Safety of Operator:- A Machine Designer should always provide safety device for the safety of the operator. The Safety Appliances should in no way interfere with the operation of the Machine.</p> <p>07) Use of Standard Parts:- The use of Standard Parts are closely related to the Cost of Machine, because the Cost of Standard Parts is only a fraction of the cost of similar parts made to order.</p> <p>08) Convenient and Economical Features:- The operating feature of the Machine should be carefully studied. The Starting, Controlling and Stopping Levers should be located on the basis of convenient handling.</p> <p>09) Workshop Facilities:- A Design Engineer should be familiar with limitation of his Employer's Workshop, in order to avoid the necessity of having work-done in some other Workshop.</p> <p>10) Assembling:- Every Machine must be Assembled as a unit before it can function. The final Location of any Machine is important and the Design Engineer must anticipate the exact location and the local facilities for erection.</p> <p>Above considerations are most important in machine design engineering.</p> | 01 mark each for any four points. | 08 marks |
| 3. | Attempt any TWO of the following: | | 2X8=16 |
| (a) | <p>Given K=0.8; P=400KW; N=225RPM; M=5000N.m; $\tau=50\text{MPa}$</p> <p>Solution $T = \frac{60P}{2\pi N} = \frac{60 \times 400 \times 10^3}{2 \times \pi \times 225}$ $= 16976.52\text{N.M}$ $T_e = \text{Equivalent twisting moment}$ $= \sqrt{M^2 + T^2} = \sqrt{5000^2 + 16976.52^2}$ $= 17697.52\text{N.m}$</p> | 01 mark 01 mark | |

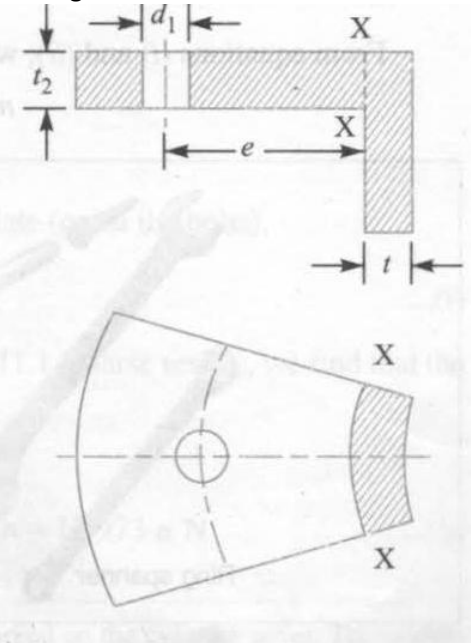


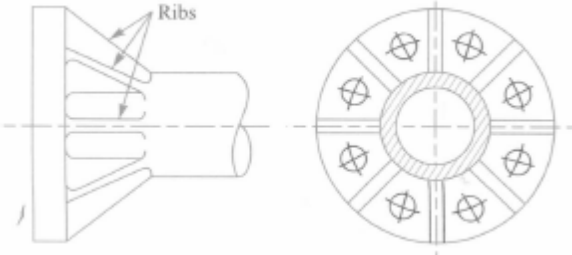
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| (c) | <div data-bbox="500 449 930 743" data-label="Image"></div> <p>Given: Width = 75 mm; Thickness = 12.5 mm; $\sigma_t = 70 \text{ MPa} = 70 \text{ N/mm}^2$; $t = 56 \text{ MPa} = 56 \text{ N/mm}^2$.</p> <p>The effective length of weld L_1 for the transverse weld may be obtained by subtracting 12.5 mm from the width of the plate. $L_1 = 75 - 12.5 = 62.5 \text{ mm}$</p> <p>Length of each parallel fillet for static loading Let $L_2 =$ Length of each parallel fillet</p> <p>We know that the maximum load which the plate can carry is $P = \text{Area} \times \text{Stress} = 75 \times 12.5 \times 70 = 65\,625 \text{ N}$</p> <p>Load carried by single transverse weld, $P_1 = 0.707 s \times L_1 \times \sigma_t = 0.707 \times 12.5 \times 62.5 \times 70 = 38\,664 \text{ N}$</p> <p>and the load carried by double parallel fillet weld, $P_2 = 1.414 s \times L_2 \times T = 1.414 \times 12.5 \times 12 \times 56 = 990L_2 \text{ N}$</p> <p>Load carried by the joint (P), $65625 = P_1 + P_2 = 38\,664 + 990L_2$ so $L_2 = 27.2 \text{ mm}$</p> <p>Adding 12.5 mm for starting and stopping of weld run we have $L_2 = 27.2 + 12.5 = 39.7 \text{ says } 40 \text{ mm Ans.}$</p> | 01 mark for figure 01 mark 01 mark 01 mark 01 mark 01 mark 01 mark 01 mark | 08 marks |



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| 4. | Attempt any TWO of the following: | | 2X8=16 |
| (a) |  <p>Design of Circumferential Lap Joint for a Boiler The following procedure is adopted for the design of circumferential lap joint for a boiler.</p> <ol style="list-style-type: none">1. Thickness of the shell , $t = (P.D/2st\eta) + 1\text{mm}$ where P = pressure inside the boiler shell , D = dia. of the boiler shell , st = permissible tensile stress of the boiler plate η = efficiency of the joint.2. diameter of rivet, $d = 6\sqrt{t}$3. Number of rivets. Since it is a lap joint, therefore the rivets will be in single shear. Shearing resistance of the rivets, | | 01 mark 01 mark |

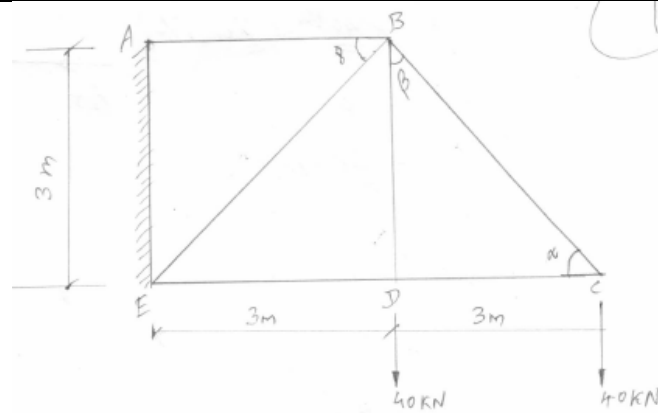
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| | <p> $P_s = n \times \pi / 4 \times d^2 \times \tau \dots (i)$ where n = Total number of rivets. Knowing the inner diameter of the boiler shell (D), and the pressure of steam (P), the total shearing load acting on the circumferential joint, $W_s = \pi / 4 \times D^2 \times P \dots (ii)$ From equations (i) and (ii), we get $n \times \pi / 4 \times d^2 \times \tau = \pi / 4 \times D^2 \times P$ $n = (D/d)^2 \times (P/\tau)$ </p> <p> 4. Pitch of rivets. If the efficiency of the longitudinal joint is known, then the efficiency of the circumferential joint may be obtained. It is generally taken as 50% of tearing efficiency in longitudinal joint, but if more than one circumferential joints is used, then it is 62% for the intermediate joints. Knowing the efficiency of the circumferential lap joint (η_c) the pitch of the rivets for the lap joint (P_1) may be obtained by using the relation: $\eta_c = (P_1 - d)/P_1$ </p> <p> 5. Number of rows. The number of rows of rivets for the circumferential joint may be obtained from the following relation: Number of rows = Total number of rivets / Number of rivets in one the number of rivets in one row $\pi(D + t) / p_1$ where D = Inner diameter of shell. </p> <p> 6. After finding out the number of rows, the type of the joint (i.e. single riveted or double riveted etc.) may be decided. Then the number of rivets in a row and pitch may be re-adjusted. In order to have a leak-proof joint, the pitch for the joint should be checked from Indian Boiler regulations. </p> <p> 7. margin , $m = 1.5 d$ where d = dia. of rivet. </p> <p> 8. After knowing the distance between the rows of rivets (P_b) the overlap of the plate may be fixed by using the relation, Overlap = (No. of rows of rivets - 1) P_b + m where m = Margin </p> | <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> | <p>08 marks</p> |
| (b) |  <p> Let l_a = Length of weld at the top, l_b = Length of weld at the bottom, l = Total length of weld = $l_a + l_b$ P = Axial load, a = Distance of top weld from gravity axis, </p> | <p>02 marks for figure</p> | |

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| <p>Semi cover plate of cylinder The thickness of the cylinder cover plate (t_1) and the thickness of the cylinder flange (t_2) may be determined as discussed below: We know that the bending moment at A-A, $M = (\text{Total bolt load}/2)(OX - OY) = P/2(0.318D_p - 0.212D_p)$ $= (P/2) \times 0.106D_p = 0.053P \times D_p$ Section modulus, $Z = (1/6)w(t_1)^2$ where w = Width of plate = Outside dia. of cover plate - 2 x dia. of bolt hole = $D_o - 2d_1$ Knowing the tensile stress for the cover plate material, the value of t_1, may be determined by using the bending equation, i.e. $\sigma t = M/Z$.</p> <p>3. Design of cylinder flange</p>  <p>A portion of cylinder flange. The thickness of the cylinder flange (t_2) may be determined from bending consideration. A portion of the cylinder flange under the influence of one bolt is shown in Fig. The load in the bolt produces bending stress in the section X-X. From the geometry of the figure, we find that eccentricity of the load from section X-X is $e = \text{Pitch circle radius} - (\text{Radius of bolt hole} + \text{Thickness of cylinder wall})$ $= (D_p / 2) - \{(d_1/2) + t\}$ Bending moment, $M = \text{Load on each bolt} \times e = P/n \times e$</p> <p>Radius of the section X-x, $R = \text{Cylinder radius} + \text{Thickness of cylinder wall} = D/2 + t$</p> | <p>01 mark</p> <p>01 mark</p> <p>01 mark for figure</p> | |
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| | <p>to make the joint leakproof.</p> <div style="text-align: center;">  </div> <p style="text-align: center;">Fig. 2</p> <p>The thickness of the flange is obtained by considering a segment of the flange as shown in Fig. 2.</p> <p>In this it is assumed that each of the bolt supports one segment. The effect of joining of these segments on the stresses induced is neglected. The bending moment is taken about the section X-X, which is tangential to the outside of the pipe. Let the width of this segment is x and the distance of this section from the centre of the bolt is y.</p> <p>.. Bending moment on each bolt due to the force F $= (F/n) \times y$(iii)</p> <p>and resisting moment on the flange $= \sigma b \times Z$(iv)</p> <p>Where σ = Bending or tensile stress for the flange material, and Z = Section modulus of the cross-section of the flange $= \frac{1}{6} \times (t f)^2$</p> <p>Equating equations (iii) and (iv), the value of t may be obtained.</p> <p>The dimensions of the flange may be fixed as follows:</p> <p>Nominal diameter of bolts, $d = 0.75 t + 10$ mm Number of bolts, $n = 0.0275 D + 1.6$... (D is in mm) Thickness of flange, $t_f = 1.5 t + 3$ mm Width of flange, $B = 2.3 d$ Outside diameter of flange, $D_o = D + 2t + 2B$ Pitch circle diameter of bolts, $D_p = D + 2d + 2t + 12$ mm</p> | <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> <p>01 mark</p> | <p>08 marks</p> |
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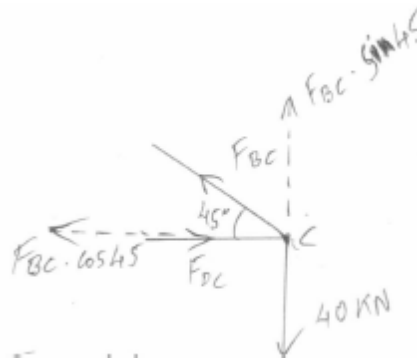


(c)



Using joints Method,
 $\tan \alpha = BD/DC = 3/3$
Therefore $\alpha = \tan^{-1} 1$
 $\alpha = 45^\circ$
At joint C

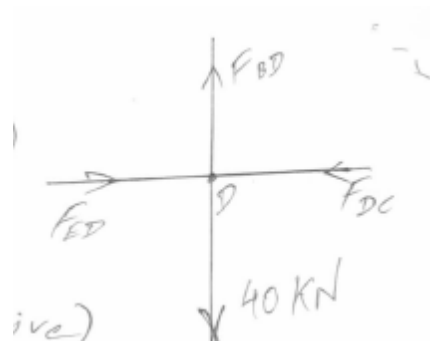
01 mark



$\Sigma F_y = 0$
 $F_{BC} \cdot \sin 45^\circ = 40$
 $F_{BC} = 40 / \sin 45^\circ$
 $F_{BC} = 56.56 \text{ kN (Tensile)}$
 $\Sigma F_x = 0$
 $F_{DC} = F_{BC} \cdot \cos 45^\circ$
 $F_{DC} = 56.56 \times \cos 45^\circ = 40 \text{ kN (Compressive)}$
At Joint D

01 mark

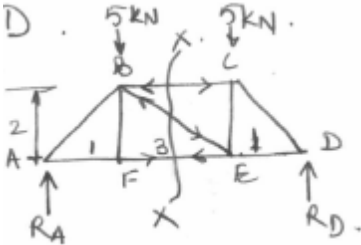
01 mark



$\Sigma F_y = 0$
 $F_{BD} = 40 \text{ (Tensile)}$

01 mark



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| | <p>absorb a large portion of the energy, thus relieving the material at the sections near the thread.</p> <p>The bolt, in this way, becomes stronger and lighter and it increase shock absorbing capacity of the bolt because of an increased modulus of resilience. This gives us bolts of uniform strength. The resilience of a bolt may also be increased by increasing its length.</p> | <p>01 mark</p> <p>02 marks</p> | <p>04 marks</p> |
| <p>ii</p> | <p>Types of Shafts: The following two types of shafts are important from the subject point of view:</p> <ol style="list-style-type: none"> 1. Transmission shafts: These shafts transmit power between the source and machines absorbing power. The counter shafts, line shafts, overhead shafts and all factory shafts are transmission shafts. Since these shafts carry machine parts such as pulleys, gears etc., therefore they subjected to bending in addition to twisting. 2. Machine shafts: These shafts form an integral part of the machine itself. The crank shaft is an example of machine shaft. <p>The material used for shafts should have the following properties:</p> <ol style="list-style-type: none"> 1. It should have high strength. 2. It should have good machinability. 3. It should have low notch sensitivity factor. 4. It should have good heat treatment properties. 5. It should have high wear resistant properties. | <p>01 mark</p> <p>01 mark each for any three properties</p> | <p>04 marks</p> |
| <p>(b)</p> | <p>The Method of Sections</p> <p>This method is used for the analysis of frames which are:</p> <ol style="list-style-type: none"> i) symmetrical in nature & ii) Have large no. of members. <p>In the method of sections, a frame is divided into two parts by taking an imaginary "cut" (shown here as x-x) through the frame. Since frame members are subjected to only tensile or compressive forces along their length, the internal forces at the cut member will also be either tensile or compressive with the same magnitude. This result is based on the equilibrium principle and Newton's third law.</p>  <p>Steps for Analysis</p> <ol style="list-style-type: none"> 1. Decide how you need to "cut" the frame. This is based on: <ol style="list-style-type: none"> a) where you need to determine forces, and, b) where the total number of unknowns does not exceed three (in general). 2. Decide which side of the cut frame will be easier to work with (minimize | <p>01 mark</p> <p>01 mark</p> <p>01 mark for figure</p> <p>01 mark</p> | |



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| | <p>the number of forces you have to find).</p> <p>3. If required, determine the necessary support reactions by drawing the FBD of the entire frame and applying the E-of-E.</p> <p>4. Draw the FBD of the selected part of the cut truss. You need to indicate the unknown forces at the cut members. Initially we assume all the members are in tension, as we did when using the method of joints. Upon solving, if the answer is positive, the member is in tension as per your assumption. If the answer is negative, the member must be in compression. (Please note that you can also assume forces to be either in tension or compression by inspection as was done in the figures above.)</p> <p>5. Apply the E-of-E to the selected cut section of the truss to solve for the unknown member forces. Note that in most cases it is possible to write one equation to solve for one unknown directly.</p> | 01 mark 01 mark 01 mark 01 mark | 08 marks |
| (c) | <p style="text-align: center;">Method I: Method of section</p> <p style="text-align: center;">Taking moment at point D $RA \times 5 - 5 \times 4 - 5 \times 1 = 0$ $RA \times 5 = 20 + 5$ $RA = 25/5$ $RA = 5\text{KN}$ But $RA + RD = 10$ $RD = 5\text{KN}$ Let us consider the equilibrium of truss to left of section X- X Taking moment at point B Consider FBC, FBE as compressive FFE as tensile force</p> | 01 mark for figure 01 mark | |

$$RA \times 1 - FFE \times 2 = 0$$

$$RA = FFE \times 2$$

$$5/2 = FFE$$

$$FFE = 2.5 \text{KN (Tension)}$$

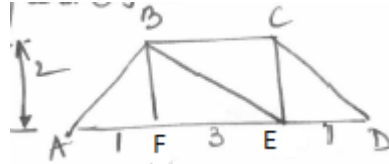
Taking moment at point E

$$-RD \times 5 + FBC \times 2 = 0$$

$$RD = FBC \times 2$$

$$FBC = 2.5 \text{KN (Compression)}$$

Method II : Method of joints



Taking Reactions

$$RA + RD = 10$$

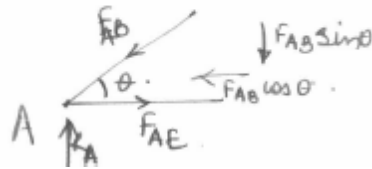
Taking Moment at A

$$RD \times 5 = 5 \times 1 + 5 \times 4$$

$$RD = 5 \text{KN}$$

$$RA = 5 \text{KN}$$

Consider joint A



$$\theta = \tan^{-1}(2/1)$$

$$\sum F_x = 0$$

$$FAF - FAB \cos \theta = 0$$

$$FAF = FAB \cos \theta$$

$$FAF = 2.5 \text{KN (Tensile)}$$

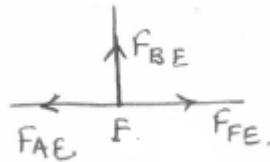
$$\sum F_y = 0$$

$$RA = FAB \sin \theta$$

$$FAB = RA / \sin \theta$$

$$FAB = 5.6 \text{KN (Compressive)}$$

Consider Joint E


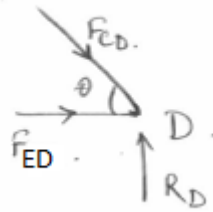
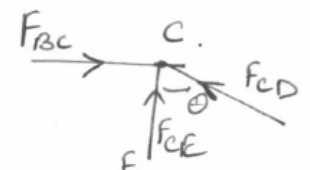


$$\sum F_y = 0$$

$$FBE = 0.1 \text{KN (Tensile)}$$

$$F_x = 0$$



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| <p>-FAE + FFE = 0 FFE = FAE FFE = 2.5KN At Joint B</p>  <p>$\Sigma F_x = 0$ -FBC + FAB sin α - FBF sin β = 0 -FBC + 5.6 x 0.44 - FBF x 0.83 = 0 FBC + FBF x 0.83 = 2.464</p> <p>$\Sigma F_y = 0$ -FBE + FAB cos α + FBF cos β - 5 = 0 5.6 x 0.89 + FBF x 0.55 = 5 FBF = 0 (App.) FBC = 2.5 (Compressive) At Joint D</p>  <p>$\Sigma F_x = 0$ FED + FCD cos θ = 0 FED = -FCD cos θ</p> <p>$\Sigma F_y = 0$ RD = FCD sin θ FCD = 5.6KN (Compressive) FED = -2.5KN FED = 2.5KN (Tensile) At Point C</p>  | <p>1/2 mark for the calculation of force in each member by any one method i. e. 4 1/2 marks for the forces in 9 members</p> |
|--|---|



| $\Sigma F_y = 0$ $F_{CE} + F_{CD} \cdot \cos\theta = 0$ $F_{CE} = -F_{CD} \cdot \cos\theta$ $F_{CE} = -5\text{KN}$ $F_{CE} = 5\text{KN (Tensile)}$ Force table | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
|---|----------------------|-------------|-------------|--------|----|----|-----|-------------|----|----|-----|-------------|----|----|-----|-------------|----|----|-----|---------|----|----|-----|---------|----|----|---|---|----|----|-----|---------|----|----|---|---------|----|----|-----|---------|--|--|
| <table border="1"><thead><tr><th>Sr.NO.</th><th>Member</th><th>Force in KN</th><th>Nature</th></tr></thead><tbody><tr><td>1.</td><td>AB</td><td>5.6</td><td>Compressive</td></tr><tr><td>2.</td><td>BC</td><td>2.5</td><td>Compressive</td></tr><tr><td>3.</td><td>CD</td><td>5.6</td><td>Compressive</td></tr><tr><td>4.</td><td>DE</td><td>2.5</td><td>Tensile</td></tr><tr><td>5.</td><td>AE</td><td>2.5</td><td>Tensile</td></tr><tr><td>6.</td><td>BE</td><td>0</td><td>-</td></tr><tr><td>7.</td><td>FE</td><td>2.5</td><td>Tensile</td></tr><tr><td>8.</td><td>CE</td><td>5</td><td>Tensile</td></tr><tr><td>9.</td><td>AF</td><td>2.5</td><td>Tensile</td></tr></tbody></table> | Sr.NO. | Member | Force in KN | Nature | 1. | AB | 5.6 | Compressive | 2. | BC | 2.5 | Compressive | 3. | CD | 5.6 | Compressive | 4. | DE | 2.5 | Tensile | 5. | AE | 2.5 | Tensile | 6. | BE | 0 | - | 7. | FE | 2.5 | Tensile | 8. | CE | 5 | Tensile | 9. | AF | 2.5 | Tensile | | |
| Sr.NO. | Member | Force in KN | Nature | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 1. | AB | 5.6 | Compressive | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 2. | BC | 2.5 | Compressive | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 3. | CD | 5.6 | Compressive | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 4. | DE | 2.5 | Tensile | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 5. | AE | 2.5 | Tensile | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 6. | BE | 0 | - | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 7. | FE | 2.5 | Tensile | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 8. | CE | 5 | Tensile | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| 9. | AF | 2.5 | Tensile | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |
| | 1½ mark for table | 08 marks | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | | |