#### MAHARASHTRA STATE BOARD OF TECHNICAL EDUCATION

(Autonomous) (ISO/IEC - 27001 - 2013 Certified)

**Model Answer: Winter-2019** 

Subject: Hydraulics
Sub. Code: 17421

#### **Important Instructions to Examiners:**

- 1) The answers should be examined by key words and not as word-to-word as given in the model answer scheme.
- 2) The model answer and the answer written by candidate may vary but the examiner may try to assess the understanding level of the candidate.
- 3) The language errors such as grammatical, spelling errors should not be given more importance. (Not applicable for subject English and Communication Skills.)
- 4) While assessing figures, examiner may give credit for principal components indicated in the figure. The figures drawn by the candidate and those in the model answer may vary. The examiner may give credit for any equivalent figure drawn.
- 5) Credits may be given step wise for numerical problems. In some cases, the assumed constant values may vary and there may be some difference in the candidate's answers and the model answer.
- 6) In case of some questions credit may be given by judgment on part of examiner of relevant answer based on candidate's understanding.
- 7) For programming language papers, credit may be given to any other program based on equivalent concept.

Que. No.	Sub. Que.		Model Ar	nswer	Marks	Total Marks
Q.1	(A)	Solve any	SIX of the following:			(12)
	(a)	Differe	ntiate real and ideal fluid.			
	Ans.	Sr. No.	Real fluid	Ideal fluid		
		1	Real fluid possess properties like viscosity, surface tension	Ideal fluid has no viscosity and no surface tension.	1 each	2
		2	Real fluids are compressible	Ideal fluids are incompressible	(any two)	
		3	Real fluids are practical fluid	Ideal fluid are an imaginary fluid		



### **Model Answer: Winter- 2019**

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.1	<b>(b)</b>	State Newton's law of viscosity and state unit of dynamic viscosity.		
	Ans.	It states that "The shear stress between adjacent fluid layers is proportional to velocity gradient between the two layers".  OR	1	
		The shear stress on a layer of a fluid is directly proportional to the Velocity gradient.		
		Unit of dynamic viscosity is N-S/m <sup>2</sup>	1	2
	(c)	Express 8.5m of mercury in N/mm <sup>2</sup> .		
	Ans.	$P = \gamma H$	1/2	
		$P = S_m \gamma_w H$		
		$P = 13.6 \times 9.81 \times 8.5$	1/2	
		$P = 1134.04 \text{kN/m}^2$		
		$P = \frac{1134.04 \times 1000}{(1000)^2} = 1.134 \text{N/mm}^2$	1	2
	( <b>d</b> )	How will you measure negative pressure? By using U Tube manometer: it is an instrument that measure negative pressure.		
		S1  No. 1  No. 1	1	
		Pressure head on lift limb = pressure head on right limb above z-z datum $\begin{array}{c} h_A + h_1 \; s_1 + h_2 \; s_2 = 0 \\ h_A = \text{-} \; (h_1 \; s_1 + h_2 \; s_2) \end{array}$ $h_A = \text{pressure head at } A$	1	2



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.		Model Ans	swer	Marks	Total Marks	
Q.1	(e) Ans.	Ans. It is an empirical equation which relates the head loss due to friction along a given length of pipe to the average velocity of the fluid flow for an incompressible fluid.					
		L = Lengt $V = Veloc$ $g = accel$	Darcy's coeficient of friction	1	1	2	
	(f) Ans.	i. Loss of head at the entrance ii. Loss of head due to sudden expansion iii. Loss of head due to sudden contraction iv. Loss of head due to bend v. Loss of head due to exit vi. Loss of head due to gradual contraction & expansion vii. Loss of head due to obstruction viii. Loss of head due to bends ix. Loss of head due to pipe fitting		each (any four)	2		
	(g) Ans.	What is to	he difference between a not  Notch	ch and weir? Weir			
		1	It is an opening provided on one side of the tank or reservoir with free surface of liquid below the top edge of the opening.	It is a structure which obstructs the flow in an open channel.			
		2	It is a device used for measuring the rate of flow of liquid through a small channel or a tank	It is used for measuring the rate of flow of water in rivers or streams.	each (any	2	
		3	Notches are made of metallic plates	Weirs are made of concrete or masonry structure	four)		
		4	Notch is of small sizes.	Weir is of bigger sizes.			
		5	e. g. Rectangular, Triangular, Trapezoidal, stepped notch.	e. g. According to shape, discharge, width of crest, nature of crest.			



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.1	(h)	State the significance of C <sub>d</sub> and C <sub>v</sub> in flow through orifice.		IVILLIA
	Ans.	$C_d$ is used to find the actual discharge from theoretical discharge which is calculated by formula $Q_{th}\!=\!a\sqrt{2gh}$ $Q_{act}\!=\!C_d\!\times\!a\sqrt{2gh}$		
		Once we find $C_d$ or $C_v$ for particular orifice we can find actual discharge and actual velocity of any flow with the help of that orifice		
		$V_{th} = \sqrt{2gh}$ $V_{act} = C_v \sqrt{2gh}$	2	2



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.1	(B)	Solve any TWO of the following:		(8)
	(a) Ans.	Write a note on application of hydraulics in Irrigation and Environmental Engineering.		
		Application of hydraulics in irrigation engineering:  i. To determine the total pressure acting on the dam ii. To design the canal	1 each (any	
		<ul><li>iii. To determine the discharge flowing through the canal or river.</li><li>Application of hydraulics in environmental engineering:</li></ul>	two)	
		<ul> <li>i. To design the pipe line system for water supply and drainage.</li> <li>ii. To find the pressure acting on the side and bottom of the tank</li> <li>iii. To determine the discharge through the pipe</li> <li>iv. To determine the power of the pump required</li> </ul>	1 each (any two)	4
	(b) Ans.	Calculate the kinematic viscosity of oil whose Sp. gravity is 0.9 and viscosity is 0.1 N-S/m <sup>2</sup> .  Given:		
		$Sp.gravity = 0.9 \text{ , Dynamic viscosity } \mu = 0.1 \text{N-S/m}^2$ $Solution:$ $Sp.gravity = \frac{Mass \text{ density of liquid}}{Mass \text{ density of water}}$	1	
		$0.9 = \frac{\rho}{1000}$ $\rho = 0.9 \times 1000 = 900 \text{ kg/m}^3$ Kinematic viscosity = $\frac{\text{Dynamic viscosity}}{\text{Mass density of liquid}}$	1	
		Kinematic viscosity = $\frac{0.1}{900}$ = 1.11×10 <sup>-4</sup> m <sup>2</sup> /sec	1	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.1	(c)	State Pascal's law and its practical applications.		
<b>(B)</b>	Ans.	Pascal's Law:		
		It states that the pressure intensity or pressure at a point in a static	1	
		fluid is equal in all directions.		
		P P P P Stationary fluid	1	
		Applications:		
		Pascal's Law is applied in the construction of machines and used for		
		multiple purposes.		
		i. Hydraulic Jacks		
		ii. Hydraulic Press	<sup>1</sup> / <sub>2</sub> each	
		iii. Hydraulic Lifts	(any four)	4
		iv. Hydraulic Crane		
		v. Braking system of motor		
		vi. Artesian well		
		vii. Dam		



**Model Answer: Winter- 2019** 

Oue	Cub			Total
Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.2	Que.	Solve any FOUR of the following:		(16)
	(a)	A circular plate 3.0 m diameter immersed in water vertically 2.0		
		m below free liquid surface. Find centre of pressure and total		
	<b>A</b>	pressure.		
	Ans.			
		$\nabla$		
		<b>†</b> †		
		2 m		
			1	
		$\bar{y}$		
		3 m		
		Given:		
		Diameter of plate (D)= 3m		
		Solution:		
		Solution.		
		y=2+1.5=3.5m		
		$\Lambda - \pi \times D^2 - \pi \times 3^2 - 7.068m^2$	1/2	
		$A = \frac{\pi}{4} \times D^2 = \frac{\pi}{4} \times 3^2 = 7.068 \text{m}^2$		
		$I_g = \frac{\pi}{64} \times D^4 = \frac{\pi}{64} \times 3^4 = 3.976 \text{m}^4$		
		<sup>1</sup> g 64 64 64 64	1/2	
		Total Pressure (P) = $\gamma A \dot{y}$	/2	
		$P = 9810 \times 7.068 \times 3.5$		
		P = 242679.78 N		
			1	
		Centre of pressure $(\bar{h}) = \frac{I_g}{I_g} + \bar{y}$	1	
		A y		
		$\bar{h} = \frac{3.976}{7.068 \times 3.5} + 3.5$		
		7.068×3.5		
		$\bar{h} = 3.66 \mathrm{m}$		
			1	4
		1	1	



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.2	(b) Ans.	Define total hydrostatic pressure and centre of pressure. Draw diagram to describe it.		
		<b>Total hydrostatic pressure:</b> It is the force exerted by a static fluid on a surface plane or curved. This force is always perpendicular to the surface.	1	
		Centre of pressure: It is the point at which total pressure acts on the surface.  Diagram-	1	
		$\begin{array}{c} \text{Wall} \\ \text{Wall} \\ \text{H} \\ \text{Centre of pressure} \\ \text{Total pressure} = \frac{1}{2}\gamma H^2  \text{N/m} \\ \text{Centre of pressure} = \text{H/3 from bottom} \\ \text{Pressure intensity at top of wall} = \text{zero} \\ \text{Pressure intensity at bottom of wall} = \gamma H  \text{N/m}^2 \\ \\ \text{.} \\ \end{array}$	1	4



### **Model Answer: Winter- 2019**

Que.	Sub.	26.134	24.1	Total
No.	Que.	Model Answer	Marks	Marks
Q.2	(c)	A square tank $1m \times 1m$ in plan and $2m$ deep contain oil of Sp. gravity 0.85. The free liquid surface of oil is 50 cm below top of tank. Find total pressure and position of centre of pressure on side and bottom of tank.		
	Ans.	2  m $h = 1.5  m$ $p = yh$		
		Area of plan $A = 1 \times 1 = 1 \text{m}^2$ Depth of oil = 2.0.5 = 1.5m Sp.gravity of oil = 0.85		
		Pressure at bottom of tank $P = \gamma_L AH$	1/2	
		$P=S_{L}\gamma_{w}AH$ $P=0.85\times9810\times1\times1\times1.5$ $P=12507.75N=12.5kN$	1/2	
		Pressure at the side of the tank $P = \frac{1}{2} \gamma H^2 \text{length}$	1/2	
		$P = \frac{1}{2} S_{L} \gamma_{w} H^{2} length$ $P = \frac{1}{2} \times 0.85 \times 9810 \times 1.5^{2} \times 1$ $P = 9380.81 N = 9.38 kN$	1/2	
		Position of centre of pressure from free surface= $\frac{2}{3} \times 1.5 = 1 \text{m}$ from bottom= $\frac{1}{3} \times 1.5 = 0.5 \text{m}$	2	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.2	(d)	A differential manometer connected at the two points A and B on a horizontal pipe. Calculate difference in pressure at point in M of oil and $N/m^2$ , if pipe carries oil of Sp. gravity 0.8 and it shows difference in mercury levels as 15cm.		
	Ans.			
		Ripe A - + - =	1	
		$\begin{aligned} h_{A} + h_{1}s_{1} &= h_{2}s_{2} + h_{3}s_{3} + h_{B} \\ h_{A} - h_{B} &= h_{2}s_{2} + h_{3}s_{3} - h_{1}s_{1} \\ h_{A} - h_{B} &= (0.15 \times 13.6) + (x - 0.15)0.8 - x \times 0.8 \\ h_{A} - h_{B} &= 2.04 + 0.8x - 0.12 - 0.8x \end{aligned}$	1	
		$\begin{aligned} & h_{A} - h_{B} = 1.92 \\ & \frac{P_{A}}{\gamma_{L}} - \frac{P_{B}}{\gamma_{L}} = h_{A} - h_{B} \\ & P_{A} - P_{B} = \gamma_{L} (h_{A} - h_{B}) \\ & P_{A} - P_{B} = 9810 \times 1.92 \\ & P_{A} - P_{B} = 18835.2 \text{N/m}^{2} \\ & h = \frac{P_{B} - P_{A}}{\gamma} \end{aligned}$	1	
		$h = \frac{18835.2}{0.8 \times 9810} = 2.4 \text{m}$	1	4



**Model Answer: Winter- 2019** 

Sub. Que.	Model Answer	Marks	Total Marks
(d)	OR  Pipe A  Pipe B  S1 = 0.8  S1 = 0.8	1	
	$h_A + x \times 0.8 + 0.15 \times 0.8 = 0.15 \times 13.6 + x \times 0.8 + h_B$ $h_A + 0.12 = 2.04 + h_B$	1	
	$h_A - h_B = 1.92$ m of water	1	
	$ \begin{aligned} \gamma_{w}h_{w} = & \gamma_{oil}h_{oil} \\ 9810 \times 1.92 = & h_{oil} \\ h_{oil} = & 2.4m \end{aligned} $	1	4
	Que.	Que. (d) OR	Que.   Model Allswer   Marks   Marks



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.		Answer	Marks	Total Marks
Q.2	(e)	Distinguish between Laminar flo	w and Turbulent flow.		
	Ans.	Laminar Flow	Turbulent Flow		
		Each particle moves in     a definite path and do     not cross each other.	The fluid particle     continuously mix and     cross each other.		
		2. It occurs at low velocity of flow	2. It occurs at high velocity of flow.		
		3. This flow occurs in viscous fluids.	3. This flow occurs in fluid having very less viscosity.		
		4. Reynolds number is less than 2000.	4. Reynolds number is more than 4000.		
		5. Fluid particle move in layers with one layer over other.	5. Fluid particle moves in disorderly manner, they cross the path of each other.		
		6. e.g.	6. e.g.	1	4
		a) Blood flowing through veins.	a) Water flowing through river.	each (any four)	
		b) Oil flowing through pipes.	b) Flood flow		
		c) Water flowing through tap at low velocities.			



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.2	(f) Ans.	Define and draw flow net. State properties and application of flow net.  It is a graphical representation of stream lines & equipotential lines.  OR  A set of stream lines and equipotential lines constitutes flow net.	1	
		Stream line Stream line Equipotential line	1	
		Fig. Flow Net		
		<ul> <li>i. The stream lines and equipotential lines are mutually perpendicular to each other</li> <li>ii. The rate of flow is same between each successive pair of stream line</li> <li>iii. Stream lines in flow net shows the direction of flow</li> <li>iv. The equipotential line joins the points the equal velocity potential</li> </ul>	each (any two)	
		<ul> <li>i. To check the problems of flow under hydrostatic structure like dams etc.</li> <li>ii. To determine of seepage pressure.</li> <li>iii. To find exit gradient.</li> <li>iv. A flow net analysis assists in the design of an efficient boundary shapes.</li> </ul>	each (any two)	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.3		Solve any FOUR of the following:		<b>(16)</b>
	(a)	A pipeline gradually varies from 15cm diameter at 'A' to 7.5 cm diameter at 'B'. The point 'A' is 6 above, while point 'B' is 3 m above datum.  The velocity at 'A' is 3.6 m/sec. Determine pressure at 'B' if pressure at 'A' is 9.81 N/cm <sup>2</sup>		
	Ans.	pressure at 'A' is 9.81 N/cm		
		Datum		
		Given: $d_A = 15 \text{ cm}$ , $Z_A = 6 \text{ m}$ , $V_A = 3.6 \text{ m/s}$ , $P_A = 9.81 \text{ N/cm}^2$ $d_B = 7.5 \text{ cm}$ , $Z_B = 3 \text{ m}$		
		Calculate: $P_B$		
		$A_A V_A = A_B V_B$	1	
		$V_B = \frac{A_A V_A}{A_B} = \frac{\frac{\pi}{4} (d_A)^2 \times V_A}{\frac{\pi}{4} (d_B)^2} = \frac{(d_A)^2 \times V_A}{(d_B)^2} = \frac{(0.15)^2 \times 3.6}{(0.075)^2} = 14.40 \text{ m/s}$		
		$V_B = 14.40 \ m/s$	1	
		Using Bernoullie's Equation		
		$Z_{A} + \frac{(V_{A})^{2}}{2g} + \frac{P_{A}}{\gamma_{L}} = Z_{B} + \frac{(V_{B})^{2}}{2g} + \frac{P_{B}}{\gamma_{L}}$	1	
		$6 + \frac{(3.6)^{2}}{2 \times 9.81} + \frac{98100}{9810} = 3 + \frac{(14.40)^{2}}{2 \times 9.81} + \frac{P_{B}}{9810}$ $\boxed{P_{B} = 30324.60 \text{ N/m}^{2}}$	1	4



#### **Model Answer: Winter- 2019**

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.3	(b)	Velocity of flow of water in pipe line of 300 mm diameter is 2 m/s from which 40 mm diameter pipe branches out. Velocity measured in the branch pipe is 3 m/s. What is the velocity of water in main pipe beyond the branch line?		
	Ans.	$V_1 = 2  \text{m/s} $ $D_1 = 300  \text{mm}$ Velocity	1/2	
		Given: $d = d_1 = 300 \text{ mm}$ , $d_2 = 40 \text{ mm}$ , $V = 2 \text{ m/s}$ , $V_2 = 3 \text{ m/s}$	1/2	
		Calculate: $V_1$ $a = a_1 = \frac{\pi}{4} d_1^2 = \frac{\pi}{4} \times (0.3)^2 = 0.071  m^2$	1/2	
		$a_2 = \frac{\pi}{4} d_2^2 = \frac{\pi}{4} \times (0.04)^2 = 1.256 \times 10^{-3} m^2$	1/2	
		$av = a_1v_1 + a_2v_2$	1	4
		$0.071 \times 2 = 0.071 \times V_1 + 1.26 \times 10^{-3} \times 3$ $V_1 = 1.947 \ m/s$	1	•
	(c)	What do you mean by water hammer? State its causes.		
	Ans.	Water Hammer: When the water flowing in a long pipe is suddenly brought to rest by closing the valve, there will be a sudden rise in pressure due to the momentum of the moving water being destroyed. This causes a wave of high pressure to be transmitted along the pipe which creates noise known as water hammer.	2	
		Causes:		
		<ul><li>i. Sudden increasing velocity of flow</li><li>ii. Sudden closure of valve with high speed.</li><li>iii. Sudden increase in pressure in pipe</li></ul>	2	4
				2



### **Model Answer: Winter- 2019**

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.3	(d)	At a sudden enlargement of water line a 250 mm diameter to 500		
		mm diameter pipe, the hydraulic gradient rises by 12 mm.		
		Calculate the discharge through pipe.		
	Ans.	Hydraulic Stam.  Stadient line  ad = ab+bc+cd  by 12  continue  continue		
		Let, $v_1$ =velocity of water at section 1,		
		v <sub>2</sub> =velocity of water at section 2,		
		From the equation of continuity	1/2	
		$\begin{array}{c} a_1 \mathbf{v}_1 = a_2 \mathbf{v}_2 \\ \pi \\ \end{array}$		
		$\frac{\pi}{4} \times (250)^2 \times V_1 = \frac{\pi}{4} \times (500)^2 \times V_2$	1/2	
		$\therefore V_1 = 4V_2$	/2	
		Now from the geometry of figure above		
		Ad=ab+bc+cd		
		$(v_1)^2/2g = (v_1 - v_2)^2/2g + (v_2)^2/2g + 12 \text{ mm}$		
		$(4v_2)^2/2g=(4v_2-v_2)^2/2g+(v_2)^2/2g+12 \text{ mm}$		
		$(16(v_2)^2)/2g = (9(v_2)^2)/2g + (v_2)^2/2g + 12 \text{ mm}$		
		$(v_2)^2 = (12 \times 9.81 \times 1000)/3$	1	
		$(v_2)$ = 198.09 mm/Sec		
		Therefore		
		$Q=a_2 \times v_2$	_	
		$=\frac{\pi}{4}\times(500)^2\times198.09$	1	
		=38894880.55 mm <sup>3</sup> /Sec		
		_ 38894880.55		
		$=\frac{10^6}{10^6}$	1	4
		= 38.895 lit/Sec	_	•



**Model Answer: Winter- 2019** 

0	Cb			Total
Que.	Sub. One	Model Answer	Marks	Total Marks
		Explain the terms i) Pipes in parallel, ii) Equivalent pipe.		141611179
No. Q.3	Que. (e) Ans.	Explain the terms i) Pipes in parallel, ii) Equivalent pipe.  Pipes in parallel: When a pipeline divides into two or more parallel pipes which again join together at downstream then that pipe is said to be in parallel. The discharge in the main pipe is equal to sum of the discharge in each of the parallel pipes. Loss of head in each parallel pipes is same.  Equivalent pipe: A compound pipe which is consist of several pipes of different lengths and diameters to be replaced by a pipe of uniform diameter and same length as that of the compound pipe, is called as equivalent pipe.  OR  Equivalent pipe is a pipe of uniform diameter whose discharge and loss of head are same as that of the compound pipe.	2	Marks



**Model Answer: Winter- 2019** Subject: Hydraulics

**Sub. Code: 17421** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.3	( <b>f</b> )	Explain with neat sketch different types of open channel.		
	Ans.	1. Rectangular channel: This is used in case of hard rock strata.		
		b = bed width of channel d = depth of flow of channel		
		<ul> <li>b= width of the channel, d= depth of the flow R= hydraulic mean depth Area= b x d</li> <li>Perimeter = b + 2d</li> <li>The condition of most economical section is that for a given area the perimeter should be minimum b = 2d, R= d/2</li> <li>2. Trapezoidal channel: this is most commonly used shape because of stability.</li> </ul>		
		b + 2 nd		
		b = width of the channel at bottom, d= depth of the flow the side slope is given as 1 vertical to n horizontal most economical conditions arehalf of top width= sloping side  3. Circular section:	2 each (any two)	4
		d= depth of the flow R= radius of channel Though it is closed the pressure on water surface is atmospheric  4. V shaped channel:  Parabola		
		d= depth of the flow , $\theta$ = angle The pressure on water surface is atmospheric.		



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.4		Solve any FOUR of the following:		(16)
	(a)	Define Hydraulic jump and state its applications.		
	Ans.	<b>Hydraulic jump-</b> It is the phenomenon in which supercritical flow is converted to subcritical flow.	2	
		OR		
		It is a phenomenon occurring in an open channel when rapidly flowing stream abruptly changes to slowly flowing stream causing a distinct rise or jump in level of liquid surface		
		Applications:  i. To minimize the energy of flowing water  ii. To mix the chemicals in the flow of water  iii. To increase the depth of water	2	4
	(b)	Define steady, unsteady, uniform and non-uniform flow in open channel.		
	Ans.	<b>Steady flow:</b> If the depth of flow, the discharge and mean velocity of the flow at any section does not change with respect to time, the flow is called as steady flow.	1	
		<b>Unsteady flow:</b> If the depth of flow, the discharge and mean velocity of the flow at any section changes with respect to time, the flow is called as unsteady flow.	1	
		<b>Uniform flow:</b> If the depth of flow, the discharge and mean velocity flow at a given instant do not change along the length of channel, the flow is called as Uniform flow.	1	
		<b>Non-uniform flow:</b> If the depth of flow, the discharge and mean velocity flow at a given instant changes along the length of channel, the flow is called as Non-uniform flow.	1	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.4	(c) Ans.	State condition for most economical rectangular and trapezoidal channel section.		
		For rectangular section- b = 2d and $R = d/2$	2	
		For trapezoidal section- Half of top width = sloping side $\frac{b+2nd}{2} = d\sqrt{1+n^2}$	2	4
		R = d/2		
		b = width at bottom of channel		
		d = depth of flow  1: n = side slope		
		R= hydraulic mean depth		
	(d)	Water is flowing through a rectangular channel of width 8 m and slope 1 in 1000. Depth of flowing channel is 5 m. Find the discharge through the channel. Take Chezy's constant $C=50$ .		
	Ans.	$A=(8 \times 5) = 40 \text{ m}^2$		
		Q=(a x v) Using chezy formula, $V=C\sqrt{RS}$	1	
		R=hydraulic mean depth = A/p  S= bed slope =1 in 1000 =0.001, C= chezy's constant =50		
		P=(b+2d)=(8+2 x 5 )=18 m	1	
		R=hydraulic mean depth = A/p=(40/18)=2.22 Q=(a x c $\sqrt{RS}$ )=(40 x 50 x $\sqrt{(2.22 \times 0.001)}$ )	1	
		Q =94.2337 m <sup>3</sup> /Sec Q=94233.7 lit /Sec	1	4
		Z >cc./ Mc/dec		



#### **Model Answer: Winter- 2019**

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.4	(e)	Explain the working of venturimeter with neat sketch.		
	Ans.	Venturimeter is practical application of Bernoulli's theorem. It is an instrument used to measure discharge in a pipeline, generally permanently fixed in pipe line. It consists of three parts a) Convergent Cone b) Throat c) Divergent Cone $Q = \frac{C_d a_1 a_2 \sqrt{2gh}}{\sqrt{a_1^2 - a_2^2}}$	1	
		T		
		$a_1$ = area of inlet of convergent cone $a_2$ = area at throat section		
		h = difference of pressure		
		Working:		
		i. The Venturimeter consist of a short converging tube leading to a cylindrical portion called throat.		
		ii. The angle of convergent cone is 21° and the angle of divergent cone is from 7° to 15°.		
		iii. The angle of divergent cone is smaller because when water is passing through throat, its velocity is more, since area of throat is less.	2	
		iv. As this water passing through diversion cone there is chance of separation of fluid flow from boundary of		
		diversion cone causing cavitation.  v. The pressure difference from section 1 and section 2 is		
		measured by U-tube manometer.  vi. The axis of Venturimeter may be horizontal or vertical or inclined.		
		Convering Throat  Entry Cone  Diverging section  Piezometer rings  DIRECTION  OF FLOW  Section 2  a <sub>1</sub> - Area  P <sub>1</sub> - Pressure  V <sub>1</sub> - Velocity  Manometric or measuring liquid of specific gravity Sm	1	4
		Fig. Venturimeter		



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.4	(f)	A 100mm diameter orifice discharge 40 lit/ sec liquid under constant head of 2m. the diameter of jet at vena- contracta is 90mm. Calculate $C_d$ , $C_v$ , $C_c$ .		
	Ans.			
		Given, Discharge= 40 lit/sec		
		Discharge= $\frac{40}{1000}$ m <sup>3</sup> /sec		
		Discharge= 0.040 m <sup>3</sup> /sec		
		Head = H = 2m		
		Diameter = D = 100mm = 0.1m		
		diameter of vena- contracta = $90mm = 0.09m$		
		therotical velocity= $V_{th} = \sqrt{2gH}$		
		$V_{th} = \sqrt{2 \times 9.81 \times 2}$	1/2	
		$V_{th} = 6.26m/\sec$	/2	
		therotical discharge= $Q_{th} = V_{th} \times Area$ of orifice		
		$Q_{th} = 6.26 \times \frac{\Pi}{4} \times 0.1^2$		
		$Q_{th} = 0.049 \ m^3 / sec$	1/2	
		$C_d = \frac{\text{actual discharge}}{\text{theoretical discharge}}$		
		$C_d = \frac{0.04}{0.04914}$	1	
		$C_d = 0.81$		
		$C_c = \frac{\text{area at vena-c ontracta}}{\text{area of orifice}}$		
		$C_c = \frac{\frac{\pi}{4} \times 0.09^2}{\frac{\pi}{4} \times 0.1^2}$		
		$C_{c} = 0.81$	1	
		$C_d = C_c \times C_v$		
		$C_d = C_c \times C_v$ $C_v = \frac{C_d}{C_c}$ $C_v = \frac{0.81}{0.81} = 1$	1	4
		$C_{v} = \frac{0.81}{0.81} = 1$	1	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.5		Solve any FOUR of the following:		(16)
	(a) Ans.	Explain working principle of current meter with sketch.		
	AIIS.	Working:		
		1. In a cup type current meter the wheel or revolving element has the form of a series of conical cups, mounted on a spindle. Spindle is held		
		vertical at right angle to the direction of flow.		
		2. Current meter is used to find out velocity of water. Current meter consist of a wheel containing blades on cups.		
		3. These cups are vertically immersed in stream of water. The thrust exerted by water on the cups.	2	
		4. The number of revolutions of the wheel per unit time is proportional to the velocity of flow.		
		5. The revolution counter operated by dry cell. The counter is calibrated or a calibration curve is provided to read velocity.		
		Fish tail  Wire to connect to counter  Direction of flow  Cups  Vertical axis  Frame  Counter weight 5 kg	2	4
		Fig. Current Meter		



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.5	(b)	Determine the discharge through $60^{0}$ triangular notch in lps under the head of 0.16 m. If $C_{d}=0.6$ .		
	Ans.	Ans. $\Theta = 60^{\circ}$		
		H = 0.16		
		$C_d = 0.6$	1	
		$Q = \frac{8}{15} c_d \sqrt{2g} \tan \frac{\theta}{2} H^{5/2}$ $Q = \frac{8}{15} \times 0.6 \times \sqrt{2 \times 9.81} \times \tan \frac{60}{2} \times 0.16^{5/2}$	1	
		$Q = 8.380 \times 10^{-3} \text{ m}^3/\text{sec OR } Q = 8.380 \text{ lit/sec}$	2	4
	(c) Ans.	A reservoir has a catchment area of 30 km². The maximum rainfall over the area is 2.5 cm/hr. ,45 % of which flows to reservoir a weir, find the length of the weir. The head over weir is 80 cm.		
		Area = $30 \text{ km}^2 = 30 \text{ x} 10^6 \text{ m}^2$ Discharge = $(30 \text{ x} 10^6 \text{ x} 2.5) / (100 \text{x} 60 \text{x} 60) = 208.335 \text{ m}^3/\text{s}$	1	
		Discharge over weir $40\% = 45/100 \times 208.335 = 93.75 \text{ m}^3/\text{s}$	1	
		We know $Q = 1.84 \times (L - 0.1  n  H) H^{\frac{3}{2}}$	1	
		$93.75 = 1.84 \text{ x } (\text{L-}0.1\text{x}2\text{x}0.8)\text{x } 0.8^{3/2}$ $93.75 = 1.84(\text{ L-} 0.16) \text{ x } 0.715$		
		71.02=( L- 0.16)		
		L = 71.18m.	1	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.5	(d)	Draw neat sketch of reciprocating pump. (double acting reciprocating pump)  Delivery pipe Delivery valve (being opened)  Connection rod  Piston rod  Suction valve (closed)  Sump  Fig. Double Acting Reciprocating Pump	4	4
	(e) Ans.	(Note: 2 marks for neat diagram and 2 marks for labeling.)  What is priming? Why is it necessary?  Priming: Priming is the process of filling the suction pipe, casing of the pump and portion of delivery pipe up to delivery valve with liquid which is to be pumped.  Necessity: Priming is necessary to remove the air from the pump. Even a presence of small air pocket in any portion of the pump results in no delivery from the pump.	2	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.5	(f)	A centrifugal pump is required to pump 10lit/second against a head of 40m. find the power required by the pump taking overall efficiency as 70 %.		
	Ans.	Given:		
		Discharge(Q)=10lit/sec=10×10 <sup>-3</sup> m <sup>3</sup> /sec, Head(H)=40m	1	
		Efficiency( $\eta$ )=70%=0.70, $\omega$ = 9810N/m <sup>3</sup>		
		$P = \frac{\omega QH}{\eta}$	2	
		$P = \frac{9810 \times 10 \times 10^{-3} \times 40}{0.70}$		
		P=5605.71 watt		
		P=5.605 kW	1	4



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.6	a)	Solve any TWO of the following:  Explain construction and working of Bourdon's pressure gauge with sketch and write two advantages of it.		(16)
	Ans.	Scale  Spring  Pinion  Adjustable Link  Sector  Segment lever  Pivot  Socket  www.InstrumentationToday.com	4	
		Fig. Bourdon's pressure Gauge		
		(Note: 2 marks for neat diagram and 2 marks for labeling.)  Working:-Bourdon tube pressure gauge is used to measure high pressure. It consists of tube as shown in fig. having elliptical cross section. This tube is called as Bourdons Tube. One end of this tube is connected the point whose pressure is to be measured and other end free. When fluid enters in the tube elliptical cross section of tube becomes circular. Due to this the free end of tube shifts outward. This motion is transferred through link and pointer arrangement. The pointer moves over a calibrated scale, which directly indicates the pressure in terms of N/m² or m head of mercury.	2	
		Advantages:		
		<ul><li>i) It is suitable for measuring vertical pressure as well as vacuum pressure.</li><li>ii) It is suitable where tube gauges are not suitable.</li></ul>	2	8



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.6	b)	A siphon of diameter 20 cm connects two reservoirs having a difference in elevation of 20m. The length of the siphon is 500m and the summit is 3.0m above the water level in the upper reservoir. The length of the pipe from upper reservoir to the summit is 100m. Determine the discharge through the siphon and also pressure at summit. Neglect minor losses. Take coefficient of friction f= 0.005.		
	Ans.	Given: $d = 0.2m$ , $H = 20m$ , $L = 500m$ , $Z_c = 3m$ $L = 100m$		
		as the coeficient of friction is given use $f = 0.005$		
		$h_{f} = \frac{(4f)LV^{2}}{2gd}$	2	
		$20 = \frac{\left(4 \times 0.005\right) 500 \text{ V}^2}{2 \times 9.81 \times 0.2}$		
		$2\times 9.81\times 0.2$ $20=0.637\times 4\times V^2$		
		$V^2 = 7.848$		
		V = 2.801 m/s	2	
		Q=av		
		$Q = \frac{\pi}{4} (0.2)^2 \times 8.801$		
		$Q=0.0879 \text{ m}^3/\text{sec}$	1	
		Pressure at summit (P <sub>c</sub> )		
		Applying Bernoulli's Equation between A and C		
		$\frac{P_A}{\omega_c} + \frac{{V_A}^2}{2g} + Z_A = \frac{P_c}{\omega_c} + \frac{Vc^2}{2g} + Z_c + losses$	2	
		$0 = \frac{P_c}{\omega_c} + \frac{2.801^2}{2 \times 9.81} + 3 + \left[ \frac{4 \times 0.005 \times 100 \times 2.801^2}{2 \times 9.81 \times 0.2} \right]$		
		$0 = \frac{P_c}{9810} + 2.39 + 4$		
		$P_{c} = -72.49 \text{kN/m}^2$		
		$P_c = 72.49 \text{kN/m}^2 \text{(Vaccume)}$	1	8



**Model Answer: Winter- 2019** 

Que. No.	Sub. Que.	Model Answer	Marks	Total Marks
Q.6	c)	A trapezoidal channel section has side slope 2 vertical 3 horizontal. It is discharging water at a rate of 20 cumecs with bed slope 1 in 2000. Design the channel for its best form. Take Manning's constant N= 0.01.		
	Ans.			
		Given:		
		side slope $\frac{1}{n} = \frac{2}{3}$		
		$n = \frac{3}{2} = 1.5$ , Discharge, $Q = 20 \text{m}^3/\text{sec}$		
		Bedslope,S = $\frac{1}{2000}$ = 0.0005,Manning'sconstant, N = 0.01		
		Let, $b = breadth$ at bottom, $d = depth$ of flow		
		for most economical trapezoidal section		
		half of the top side = sloping side		
		$\left(\frac{b+2nd}{2}\right) = d\sqrt{n^2+1}$	1	
		$\left(\frac{b+2\times1.5d}{2}\right)=d\sqrt{1.5^2+1}$		
		b+3d=2d×1.8		
		b=0.6d	1	
		AreaA=d(b+nd)		
		AreaA = d(0.6d+1.5d)		
		$A=2.1d^2$	1	
		HydraulicmeandepthR= $\frac{d}{2}$	1	
		Q=AV	1	
		$Q = A \frac{1}{N} R^{2/3} S^{1/2}$	1	
		$20=2.1d^{2}\times\frac{1}{0.01}\left(\frac{d}{2}\right)^{2/3}0.0005^{1/2}$	1	
		20=2.958d		
		d <sup>8/3</sup> =6.76	1	
		d=2.05m		
		b=1.23m		
			1	8